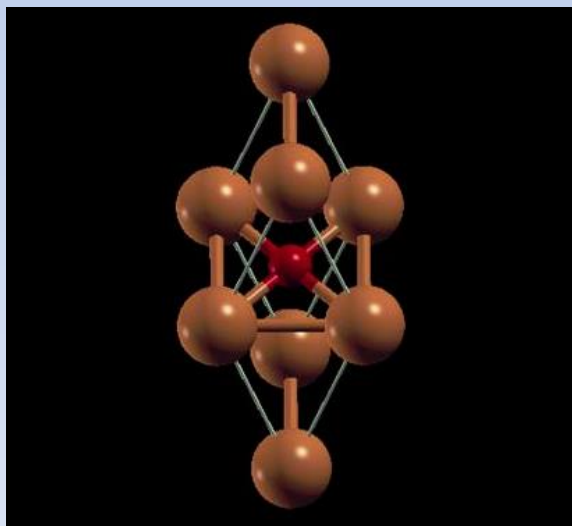


Setup



A DFT Study of Electron-Phonon Coupling in Proxy CuX (X = S, Se, Te) Structures and Its Relationship to Possible Manifestation of Superconductivity



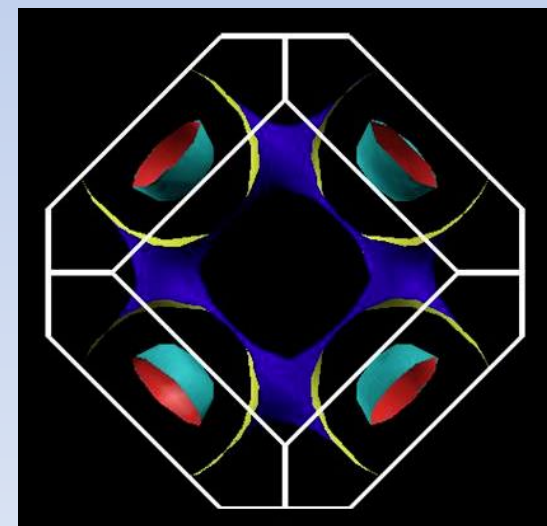
Session Q11

Chalcogenide Superconductors

2:30 PM – 4:54 PM, Wednesday, 4 March

Paul M. Grant
W2AGZ Technologies

Robert H. Hammond
Stanford University



Paper 11

4:06 PM – 4:18 PM

Room 007B

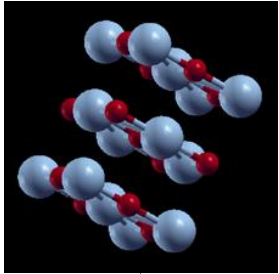
– Our Computational Tool Box –

- DFT + Hubbard U
 - Quantum Espresso
 - Fermiologies, States (DOS), Phonons, e-p “Lambda”
- Graphics
 - Xcrysden, XMGRACE
 - Fermi Surfaces, Projected DOS
- Modeling
 - Debye Temperatures a la Gibbs2 Package
 - Thanks to Alberto Otero-de-la-Rosa,
<http://azufre.quimica.uniovi.es/src/gibbs2/gibbs2.pdf>
 - Then Superconductivity via Eliashberg/McMillan!

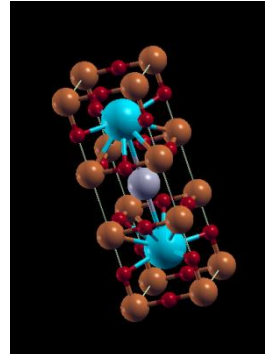
The Various **Flavors** of Copper “Monoxide”

- Siemons, et al. (2009)
- Grant (2008)
- Franchini Group (2011)
- Cococcioni Group (2011)

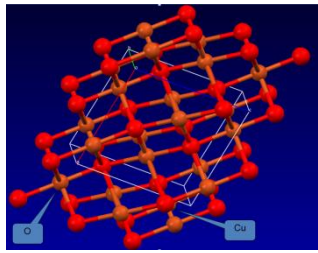
tet-rs-CuO



“1-2-3”



Tennorite



Relative
Ground
State
Energies

Can we compute/synthesize the S, Se, Te analogues ...and what would be their physical properties wrt magnetism and superconductivity?

Magnetic properties revealed at APS MM Denver 2014. Now superconductivity!

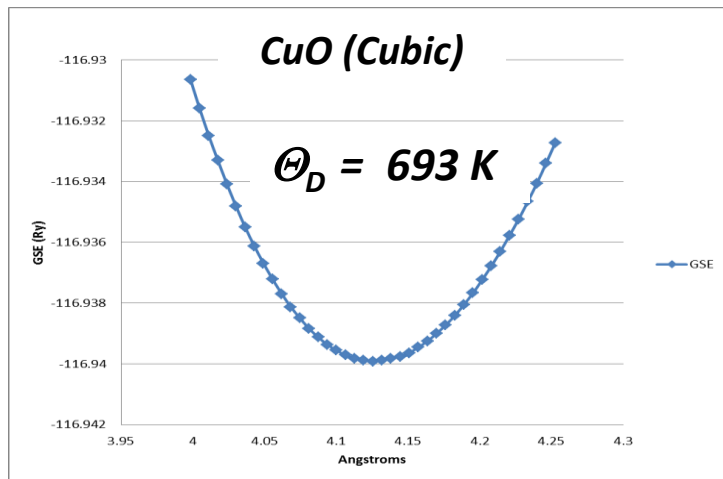
“Configuration/Coordination Space”

Ground State Energies via Gibbs2:

Cubic

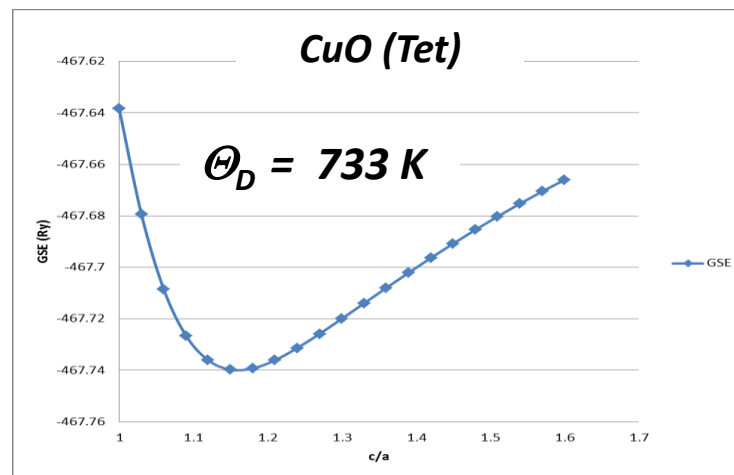
CuO & CuS

Tetragonal

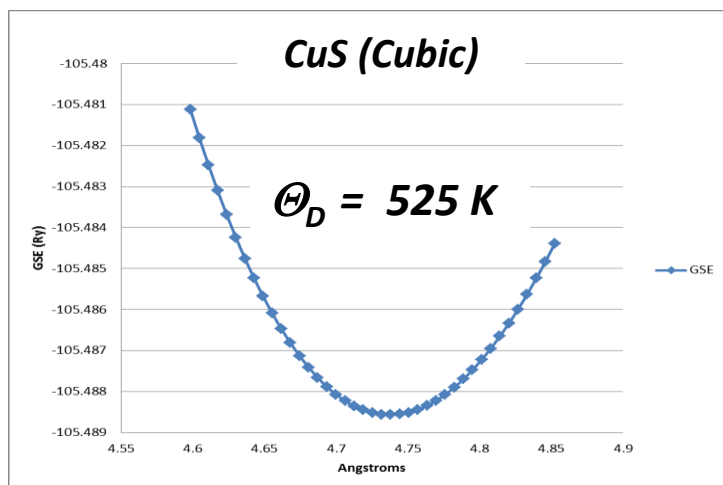


Min GSE at $a_0 = 4.13 \text{ \AA}$

CuO

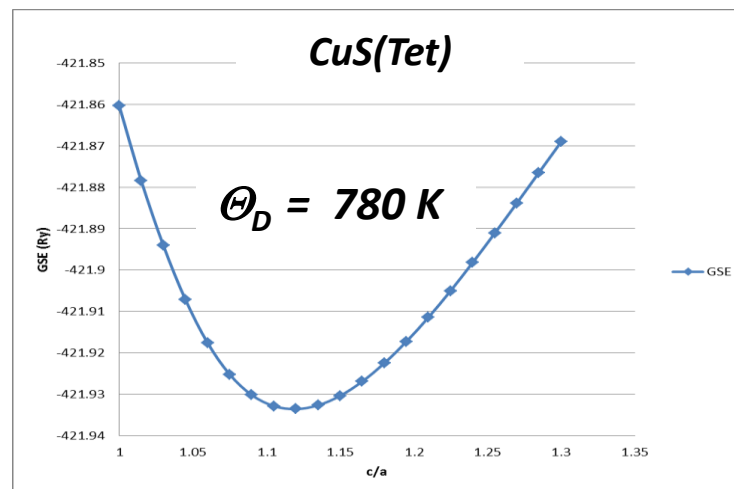


Min GSE at $a_0 = 3.9 \text{ \AA}$, $c/a = 1.15$



Min GSE at $a_0 = 4.75 \text{ \AA}$

CuS



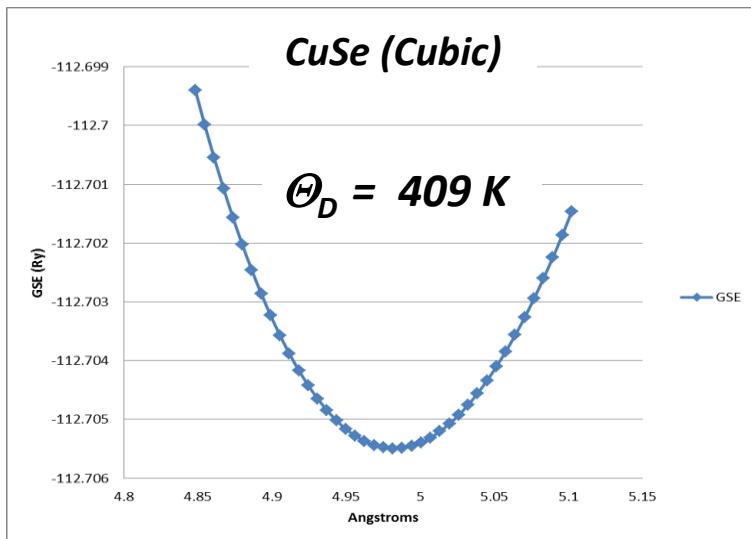
Min GSE at $a_0 = 4.5 \text{ \AA}$, $c/a = 1.12$

Ground State Energies via Gibbs2:

CuSe & CuTe

Cubic

CuSe (Cubic)

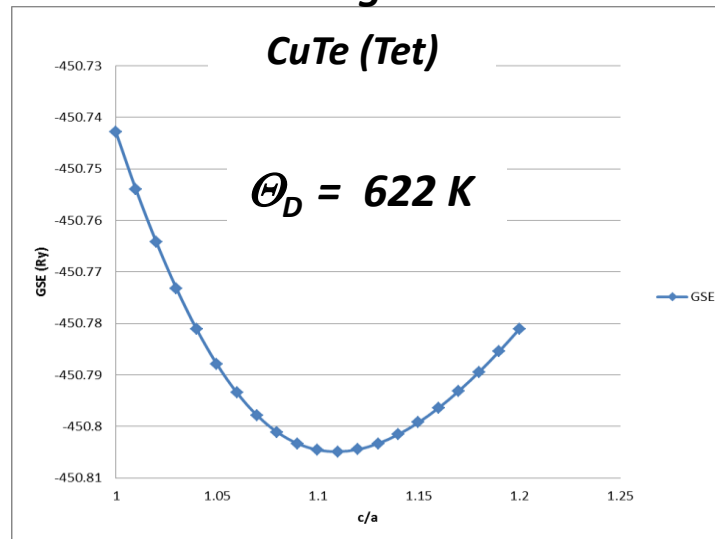


Min GSE at $a_0 = 5.0 \text{ \AA}$

CuSe

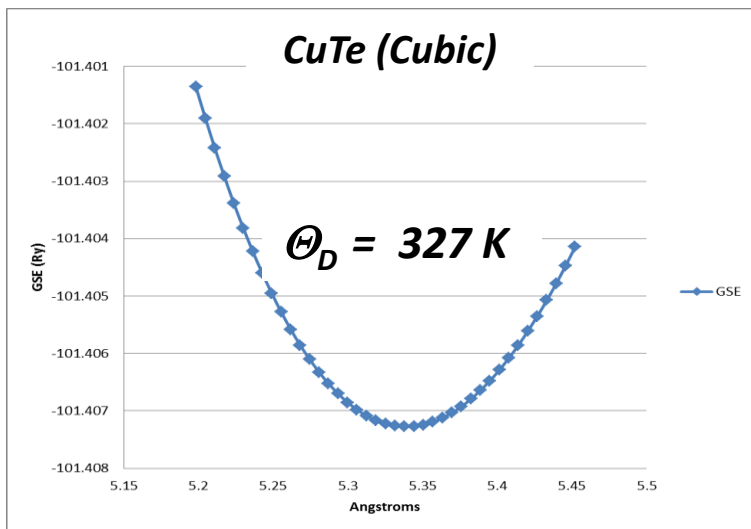
Tetragonal

CuTe (Tet)



Min GSE at $a_0 = 4.75 \text{ \AA}$, $c/a = 1.1$

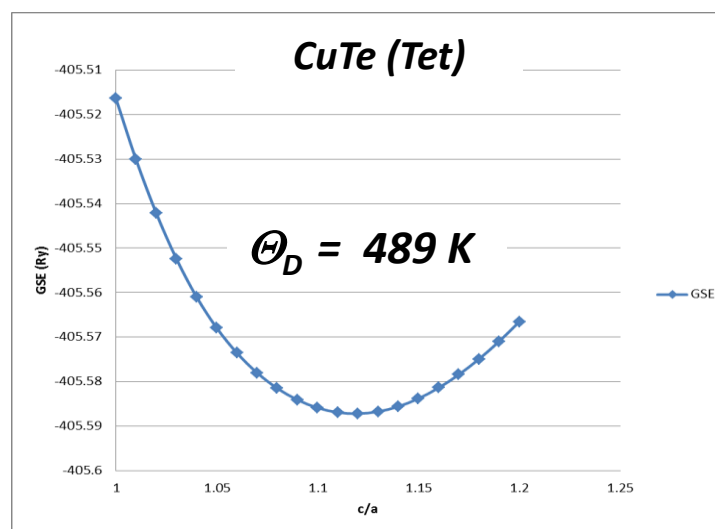
CuTe (Cubic)



Min GSE at $a_0 = 5.34 \text{ \AA}$

CuTe

CuTe (Tet)



Min GSE at $a_0 = 5.05 \text{ \AA}$, $c/a = 1.1$

Superconductivity and Phonons

BCS via Eliashberg-McMillan

$$H_{el-ph} = \sum_{\mathbf{k}, \mathbf{q}, \nu} g_{\mathbf{k}+\mathbf{q}, \mathbf{k}}^{\mathbf{q}_{\nu}, mn} c_{\mathbf{k}+\mathbf{q}}^{\dagger m} c_{\mathbf{k}}^n (b_{-\mathbf{q}, \nu}^{\dagger} + b_{\mathbf{q}, \nu})$$

$$\lambda_{\mathbf{q}, \nu} = \frac{2}{N(\varepsilon_F) \omega_{\mathbf{q}, \nu}} \sum_{mn} \sum_{\mathbf{k}} \left| g_{\mathbf{k}+\mathbf{q}, \mathbf{k}}^{\mathbf{q}_{\nu}, mn} \right|^2 \delta(\varepsilon_{\mathbf{k}+\mathbf{q}, m} - \varepsilon_F) \delta(\varepsilon_{\mathbf{k}, n} - \varepsilon_F)$$

$$\alpha^2 F(\omega) = \frac{1}{N(\varepsilon_F)} \sum_{mn} \sum_{\mathbf{q}, \nu} \delta(\omega - \omega_{\mathbf{q}, \nu}) \left| g_{\mathbf{k}+\mathbf{q}, \mathbf{k}}^{\mathbf{q}_{\nu}, mn} \right|^2 \delta(\varepsilon_{\mathbf{k}+\mathbf{q}, m} - \varepsilon_F) \delta(\varepsilon_{\mathbf{k}, n} - \varepsilon_F)$$

$$\lambda = 2 \int_0^{\infty} \frac{\alpha^2 F(\omega)}{\omega} d\omega$$

NB! The "double deltas" will be approximated by two Gaussians of width "sigma (σ)" whose numerical convergence is governed by imposed precision limits and basis set symmetry.
Con Quidado!

To get λ , need to compute $\delta_{\mathbf{k}+\mathbf{q}, \mathbf{k}}$!

Eliashberg-McMillan-Allen-Dynes

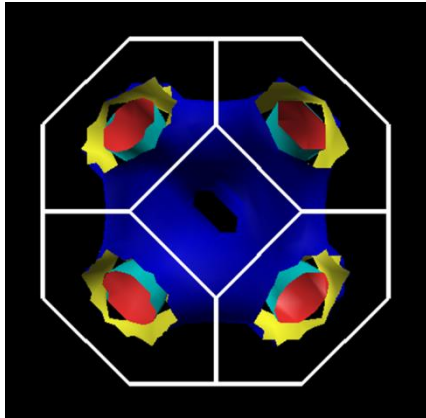
$$g_{\mathbf{k}+\mathbf{q},\mathbf{k}}^{\mathbf{q},\nu,mn} = \sqrt{\hbar / 4\pi\omega_{\mathbf{q},\nu}} \left\langle \psi_{\mathbf{k}+\mathbf{q},m} \left| \Delta V_{KS}^{\mathbf{q},\nu} \right| \psi_{\mathbf{k},n} \right\rangle$$

$$\Delta V_{KS}^{\mathbf{q},\nu} = \sum_{\mathbf{R}} \sum_s \frac{\partial V_{KS}}{\partial \vec{u}_{s,\mathbf{R}}} \cdot \vec{u}_s^{\mathbf{q},\nu} \frac{e^{i\mathbf{q}\cdot\mathbf{R}}}{\sqrt{N}}$$

$$T_C = \frac{\Theta_D}{1.45} \exp\left(-\frac{1.04(1+\lambda)}{\lambda - \mu^*(1+0.62\lambda)}\right)$$

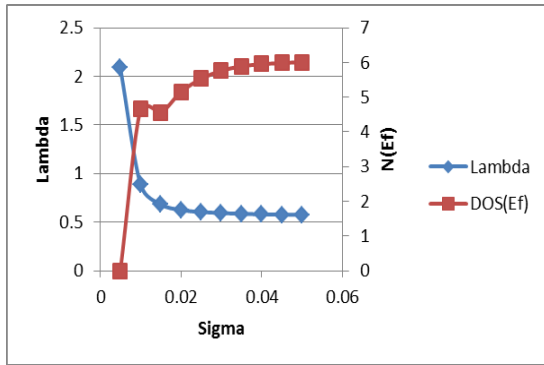
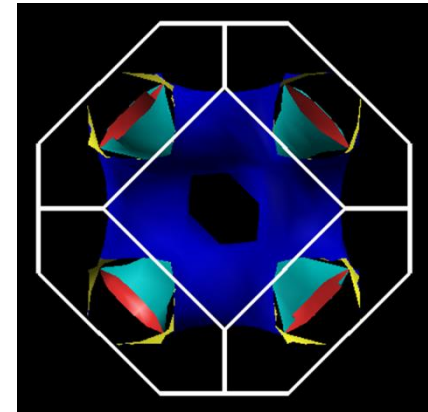
Let's Go!

Cubic

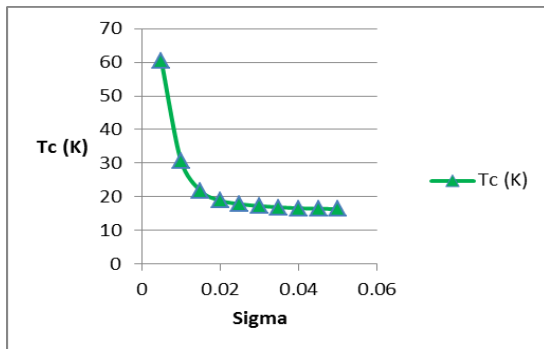


CuSe
 T_c

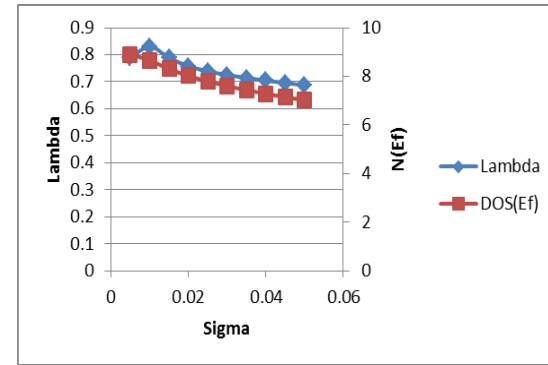
Tetragonal



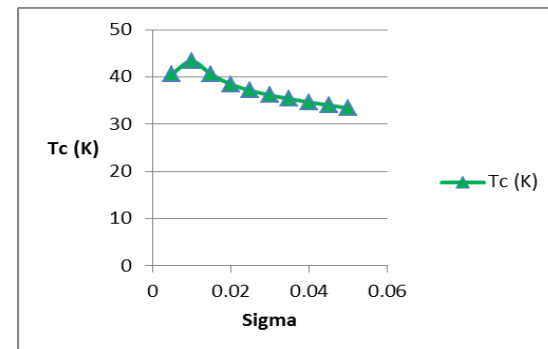
$\Theta_D = 409 \text{ K}; \mu^* = 0.0$



$T_c(\text{max}) \sim \underline{17} \text{ K}$

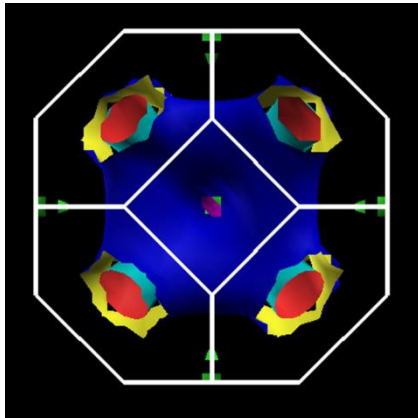


$\Theta_D = 623 \text{ K}; \mu^* = 0.0$



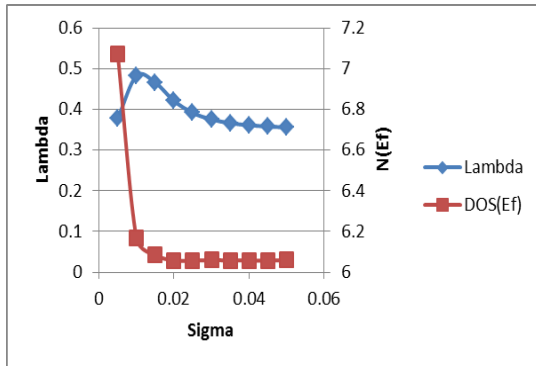
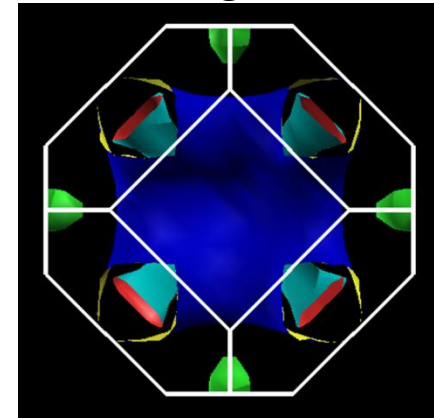
$T_c(\text{max}) \sim \underline{36} \text{ K}$

Cubic

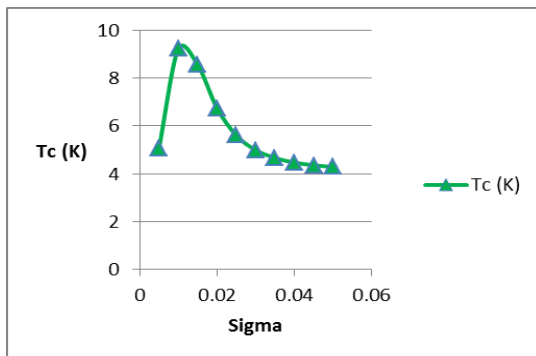


CuTe
 T_c

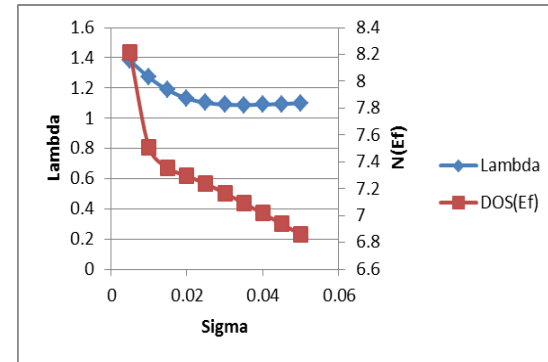
Tetragonal



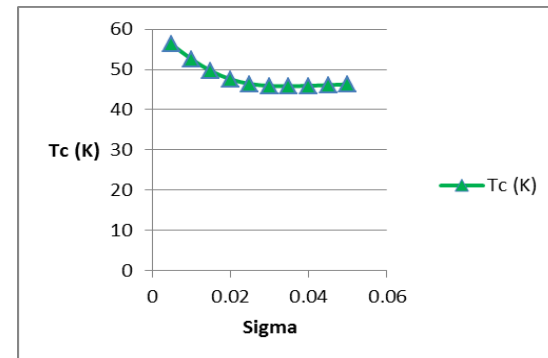
$\Theta_D = 327 \text{ K}; \mu^* = 0.0$



$T_c(\text{max}) \sim \underline{4.2} \text{ K}$

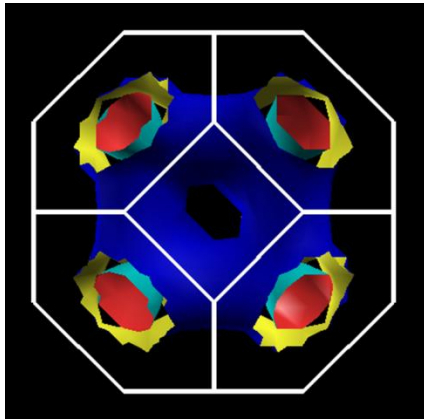


$\Theta_D = 490 \text{ K}; \mu^* = 0.0$



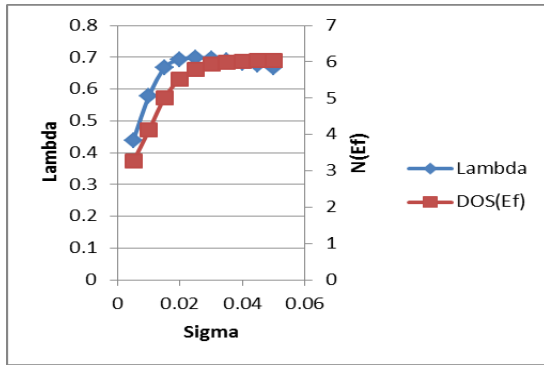
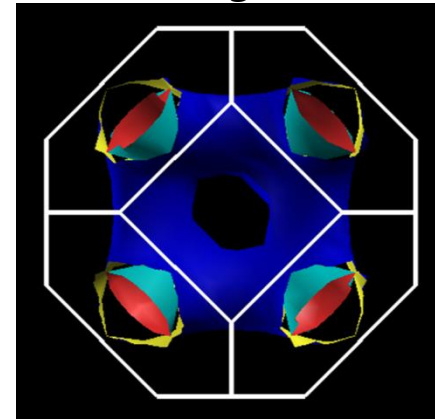
$T_c(\text{max}) \sim \underline{45} \text{ K}$

Cubic

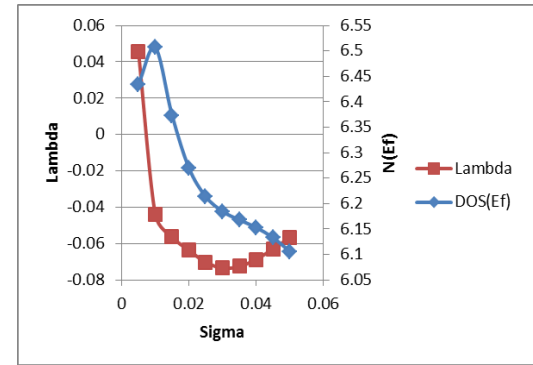


CuS
 T_c

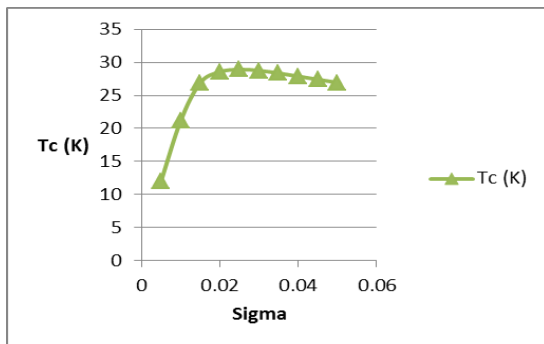
Tetragonal



$\Theta_D = 525 \text{ K}; \mu^* = 0.0$



$\Theta_D = 780 \text{ K}; \mu^* = 0.0$

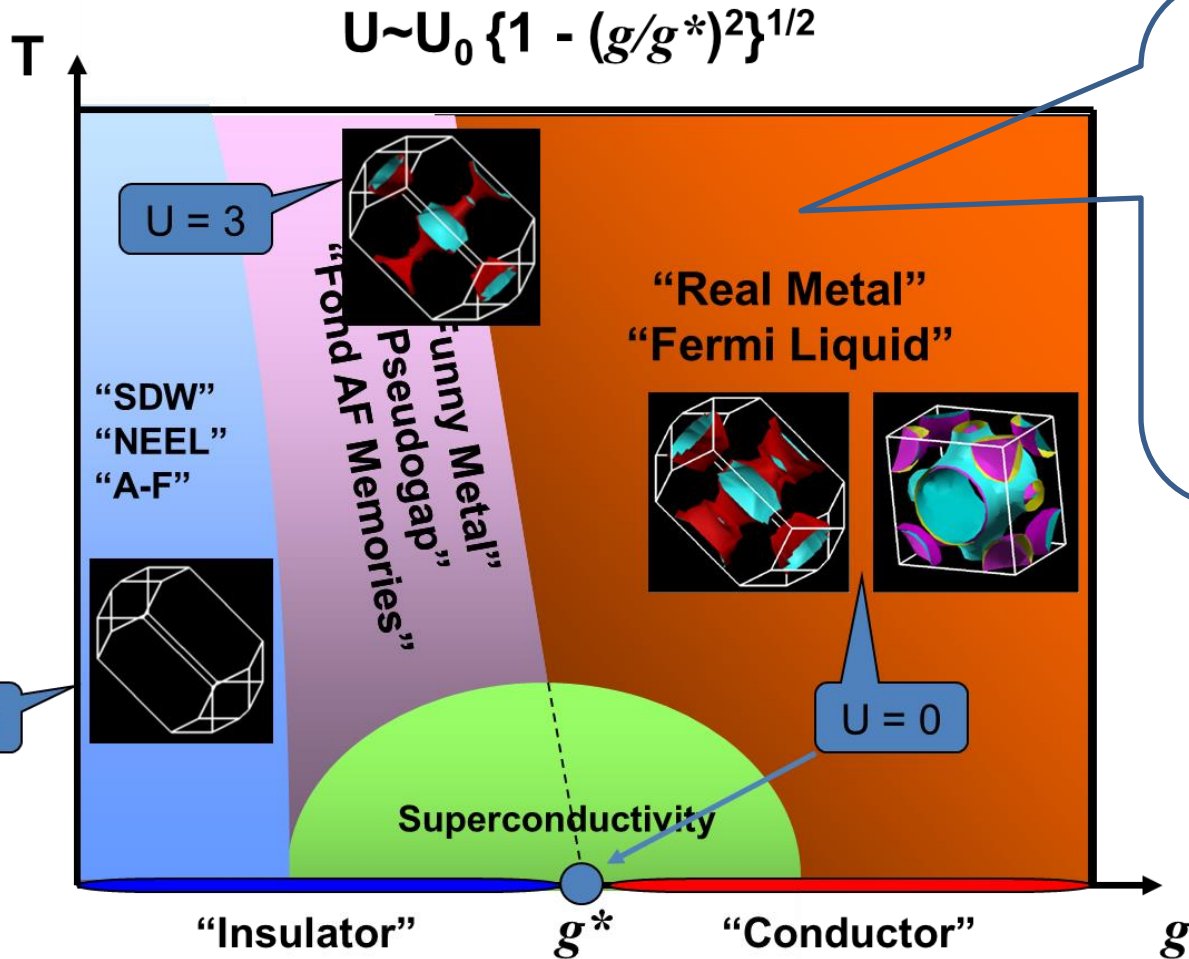


$T_c(\text{max}) \sim 28 \text{ K}$

- Whoops!**
- Unphysically “negative” λ !
 - Convergence issues?
 - Symmetry issues?
 - “Needs more work ;-)”

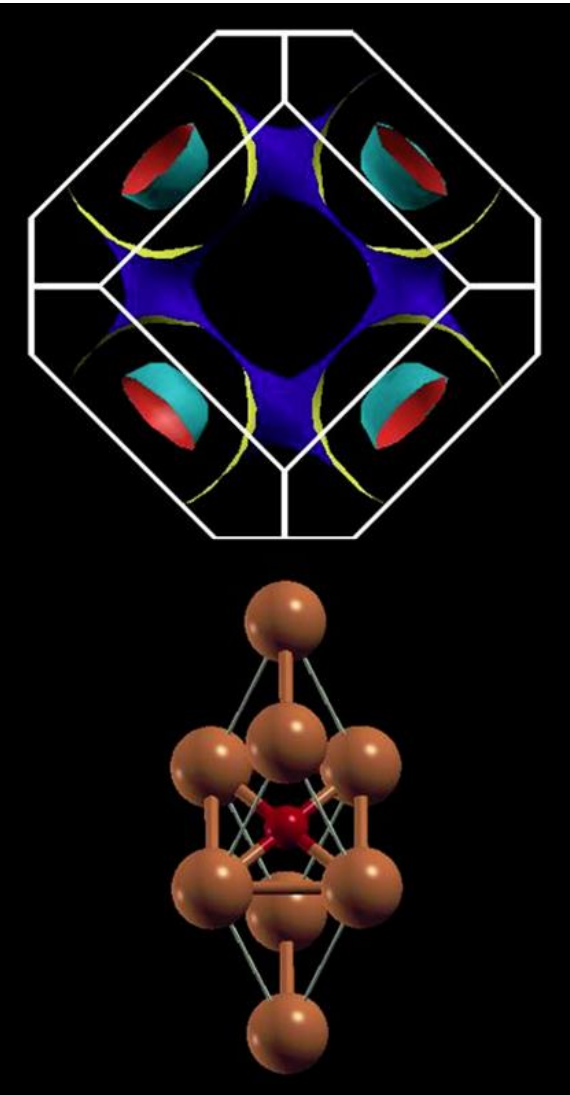
OK...Now What About CuO? *Well?*

The Colossal Quantum Conundrum



Assume a doping density for "g = 0.15 holes/CuO" in this region for experimentally determined Tet-CuO that effectively screens "U" such that we have an "ideal" Fermi liquid.

Then what does Gibbs2 and Eliashberg-McMillan tell us about the possibility of electron-phonon mediated superconducting copper oxide perovskites?

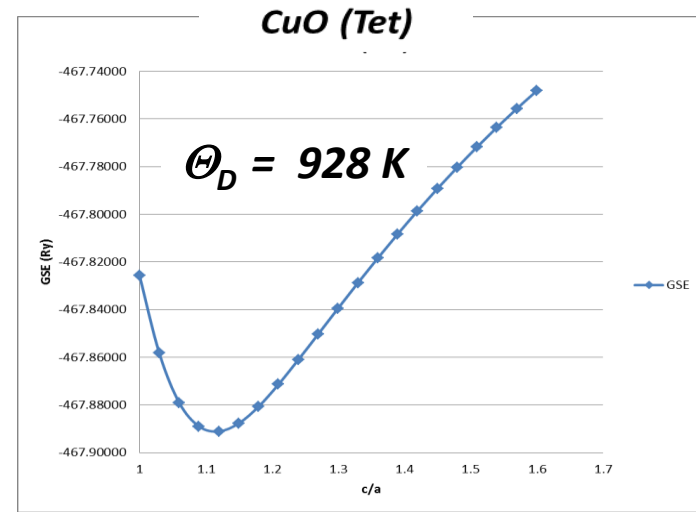


CuO
 (tetragonal)
 $q = 0.15/\text{CuO}$
 T_c

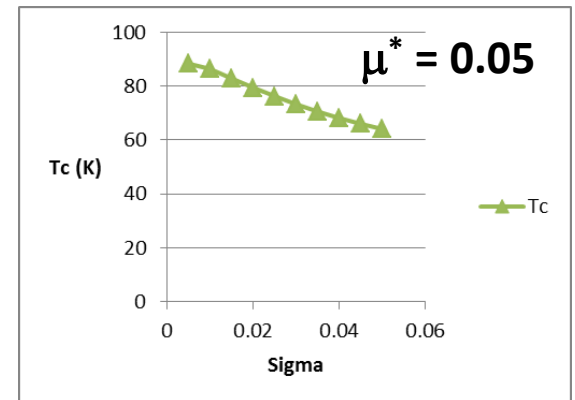
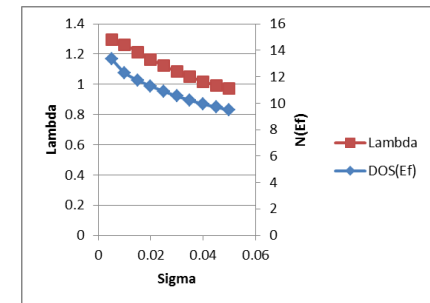
Ipsa Facto...
At least at optimum doping...

the holes are paired by lattice shakes...

with maybe a little help from their spins!



Min GSE at $a_0 = 3.9 \text{ \AA}$, $c/a = 1.15$

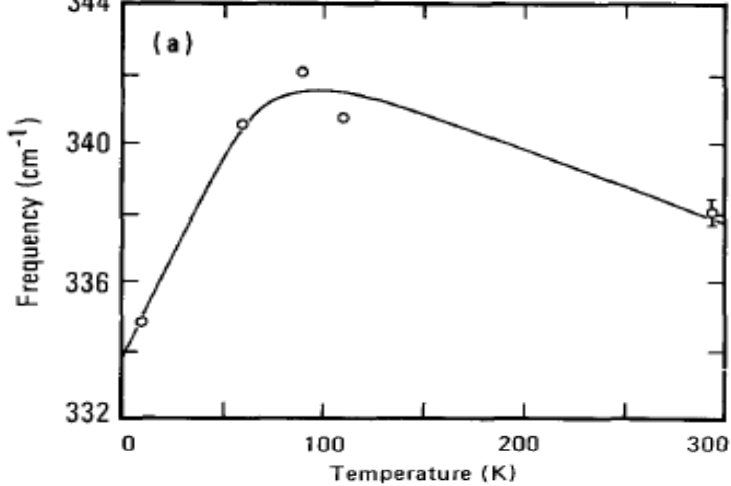


$T_c(\text{avg}) \sim \underline{75\text{ K}}$

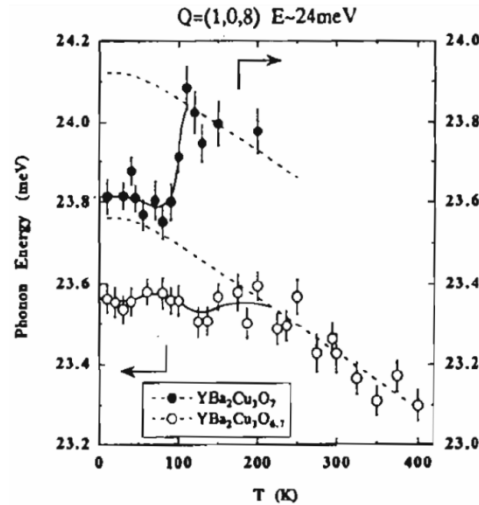
So What Else is New?

Macfarlane, Rosen, Seki, SSC 63, 831 (1987)

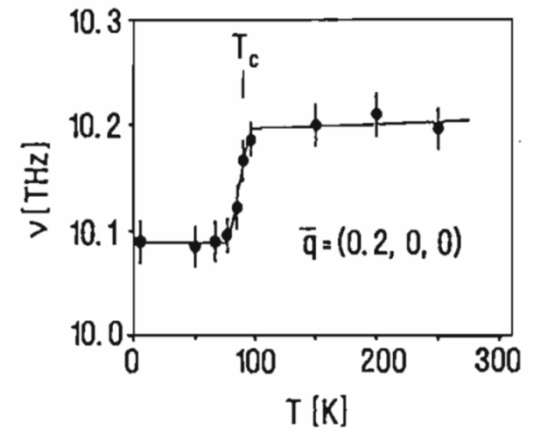
Raman Spectroscopy of YBCO



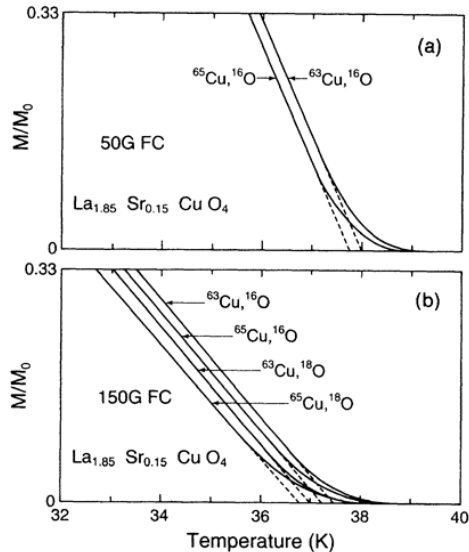
Harashima, et al., Physica C263, 257 (1996)



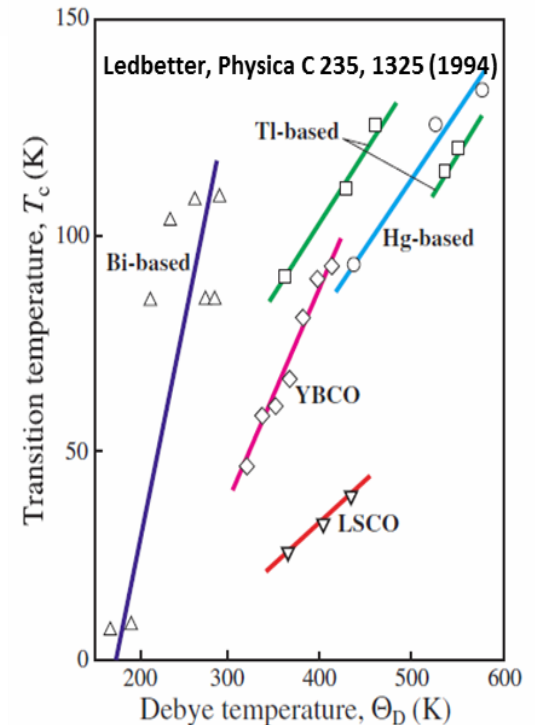
Pyka, et al., PRL 70, 1457, (1993)



Franck, Harker, Brewer, PRL 71, (1993)
Cu and O Isotope Effects in $\text{La}_{2-x}\text{Sr}_x\text{CuO}_4$

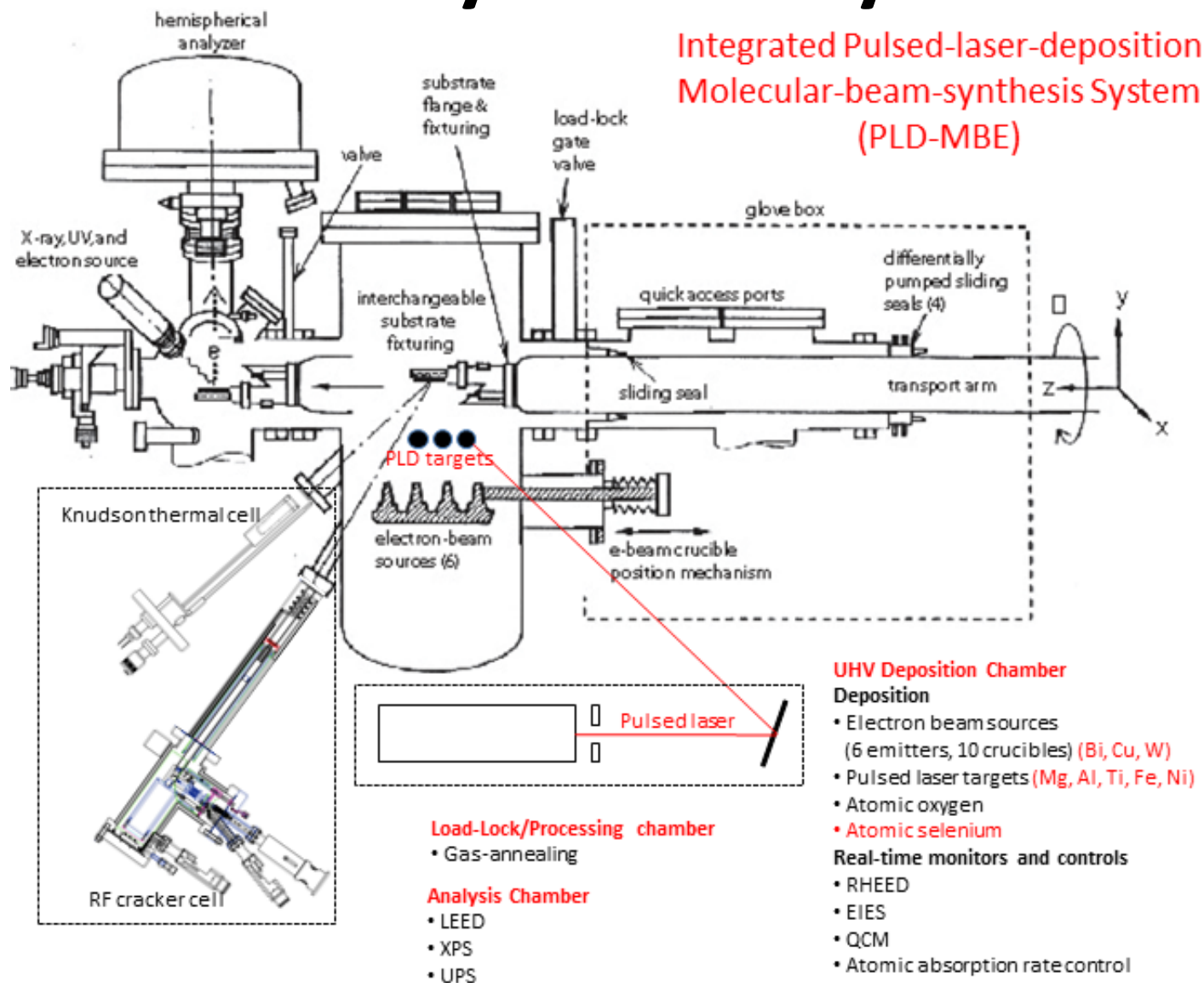


*We can see Phonons
have been there
ever since the
Creation!*



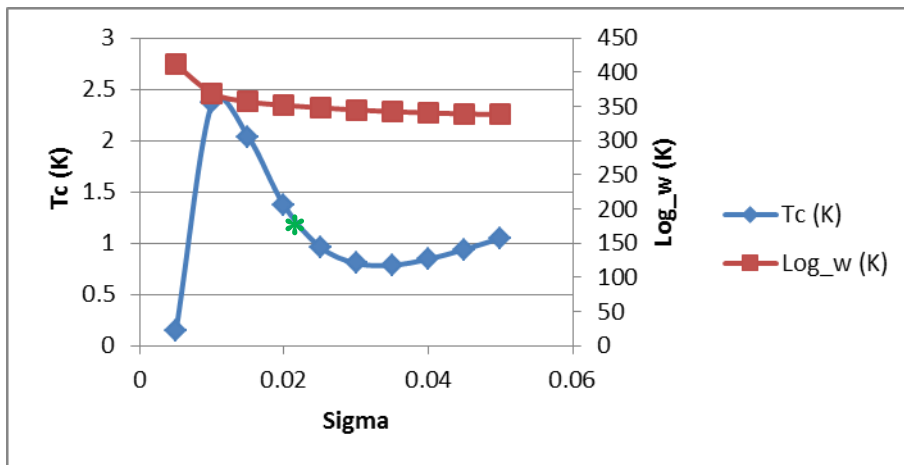
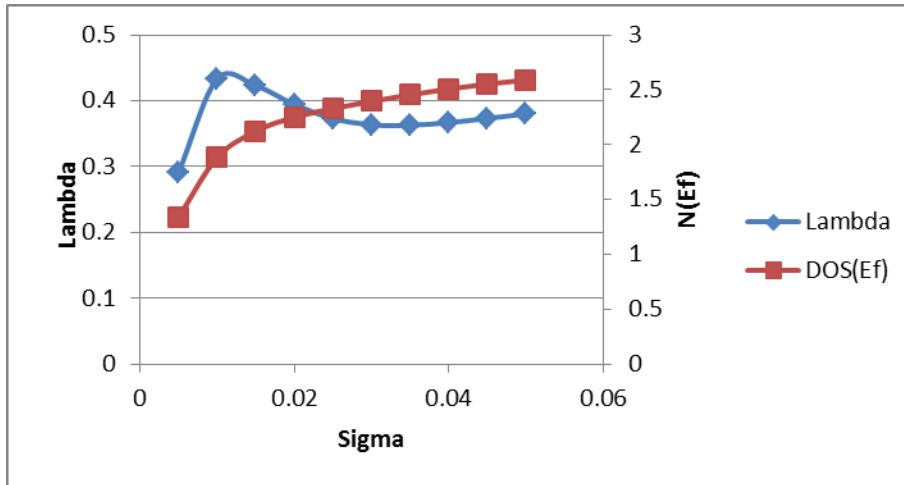
At the End of the Day...

Can We Actually Make Any of this Stuff?



Aluminum

(Quantum-ESPRESSO Example)



$\mu^* = 0.1$
 $\text{Log}_w \sim \Theta_D$
 $T_c(\text{exp}) = 1.2 \text{ K}$